

JBC

Resistance, sinkage, trim and wave pattern - review

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How accurately can resistance be predicted for bluff hulls?

- 88 fine grid resistance predictions submitted
- Use statistics to answer the question
- Related question 1: **How close are we to experimental accuracy?**
- Related question 2: **Is there any improvement since 2005 and 2010?**

Resistance statistics

Hull	Year/Case	E_{mean} %D	$/E/_{mean}$ %D	σ %D	U_D %D	No. of Entries
KVLCC2m	2005/1.4	0.0		6.2	0.7	13
KVLCC2	2010/1.2a	-1.7		1.3	1.0	5
JBC	2015/1.1a	1.0	2.1	2.4	1.0	22
	2015/1.2a	1.0	1.5	2.0	1.0	20
	2015/1.5a	-0.1	3.2	4.0	1.0	23
	2015/1.6a	0.7	3.1	4.0	1.0	23

Blue: Towing

Yellow: Self-propulsion

E : Comparison error, D : Measured data, S : Simulated value, $E=D-S$

Resistance change due to ESD

	Computed (mean)	Measured
Towing (1.2a-1.1a)%	-0.7	-0.6
Self-propulsion (1.6a-1.5a)%	-0.2	-1.0

Conclusions on resistance accuracy

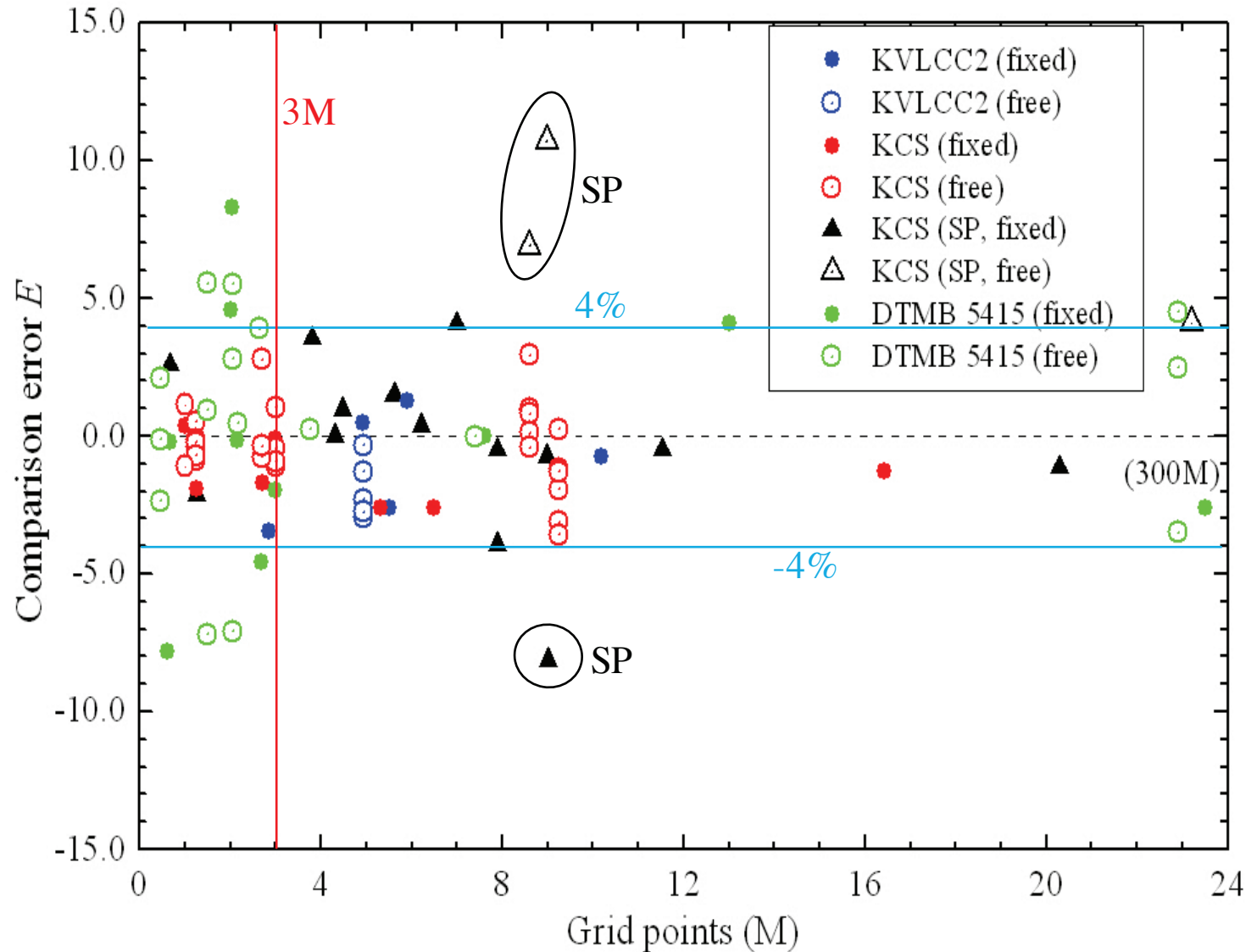
- The systematic error is within the experimental accuracy for all T2015 computations. Slightly better than at G2010
- The random error causes a standard deviation around 2% for the towed hull. Slightly worse than G2010
- The random error for the self-propelled hull is around 4%

How dependent is resistance on grid *size* ?

- Plot all resistance errors versus grid size!

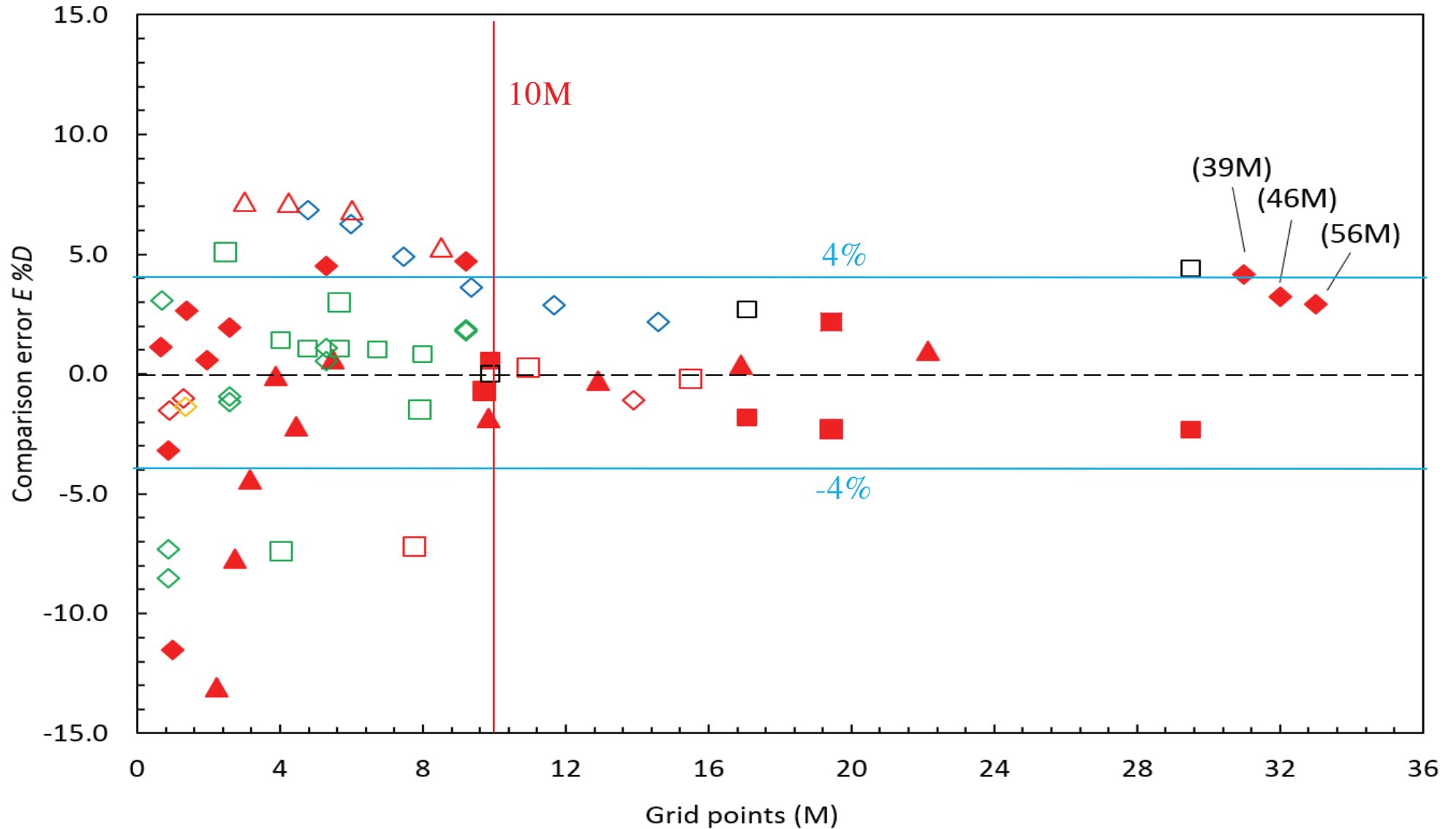
Comparison error vs. grid size

Gothenburg 2010, *All cases*



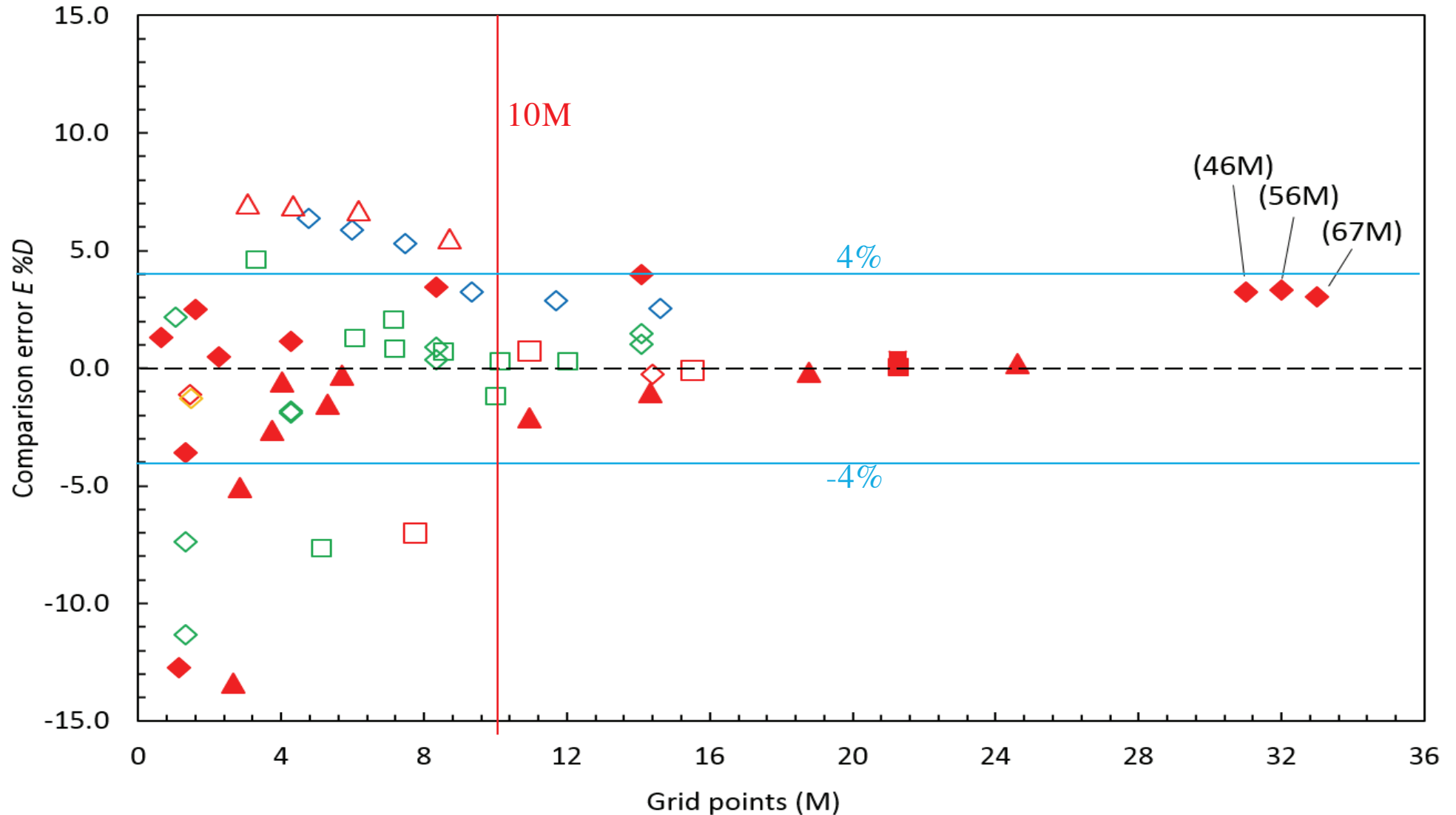
Comparison error vs.grid size

Bare hull, Case 1.1



Comparison error vs. grid size

Hull with ESD, Case 1.2



Conclusions on grid size

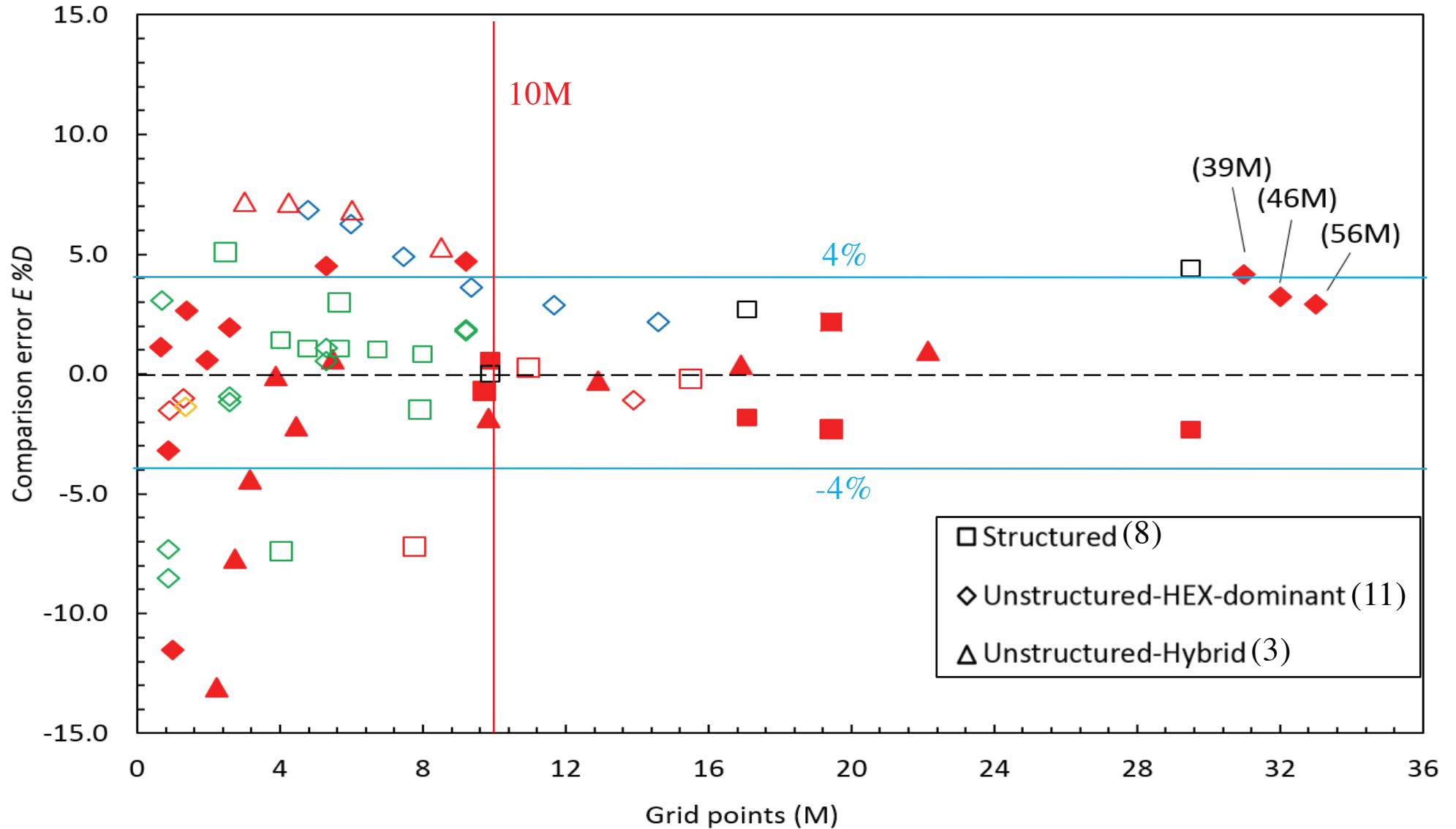
- The scatter is larger than at G 2010
- The limit for 4% accuracy is around 10Mcells, as compared to 3M cells (for all hulls) at G 2010

How dependent is resistance on grid *type* ?

- Look at grid type in previous plots!

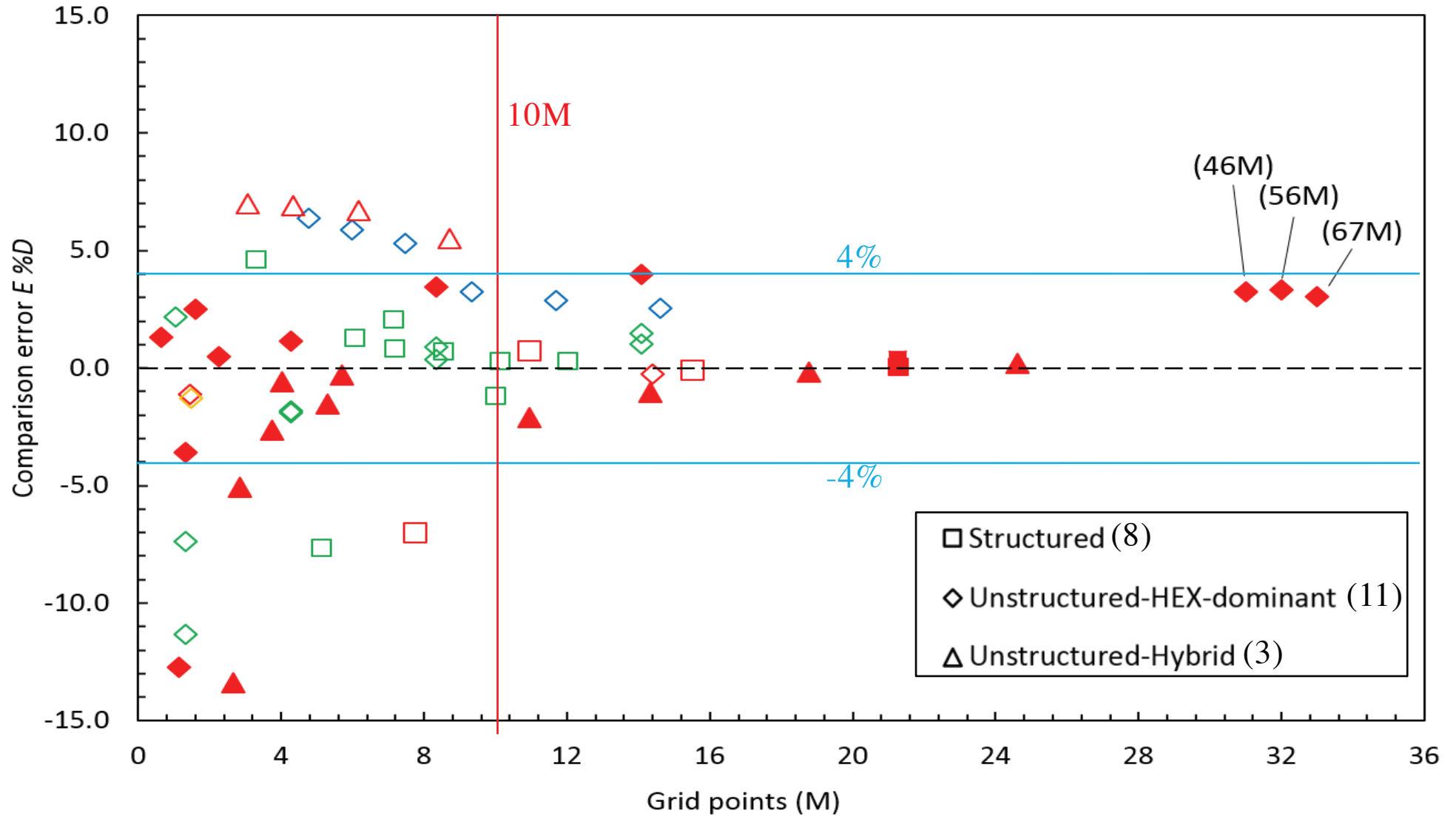
Grid type

Bare hull, Case 1.1



Grid type

Hull with ESD, Case 1.2



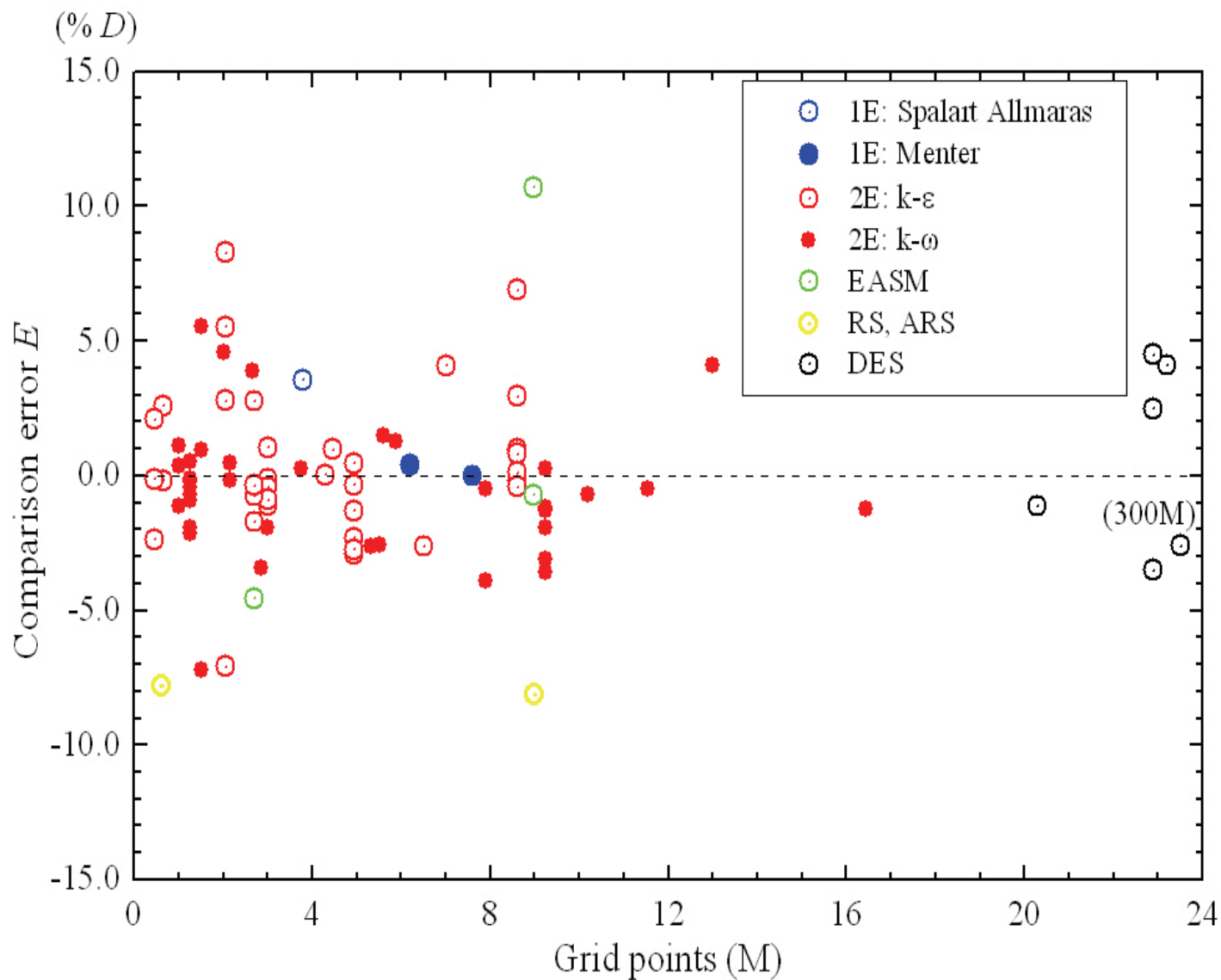
Conclusions on grid type

- Hard to draw conclusions

How dependent is resistance on turbulence model

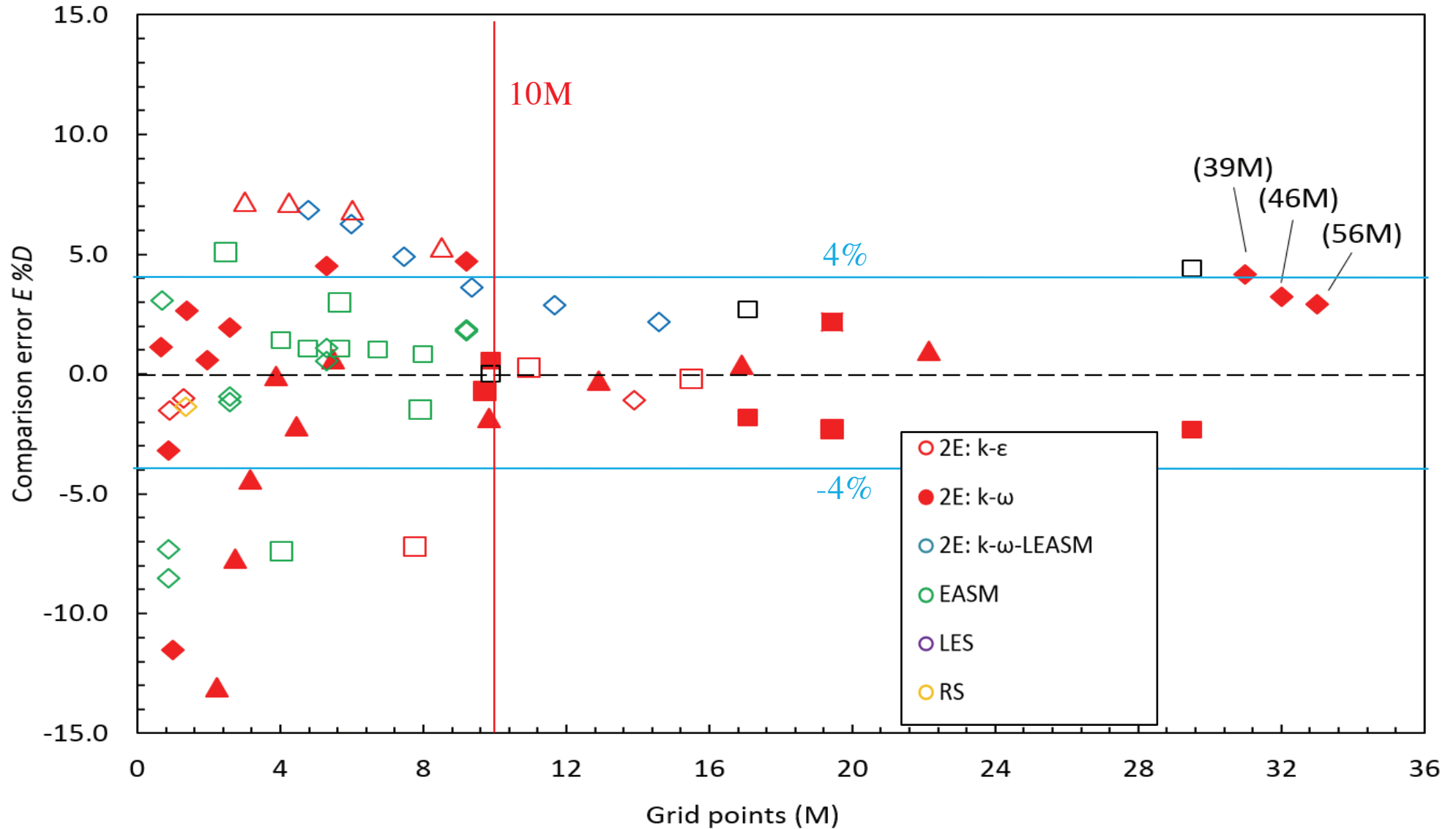
- Compute statistics
- Look at previous plots

Comparison error, turbulence models, G 2010



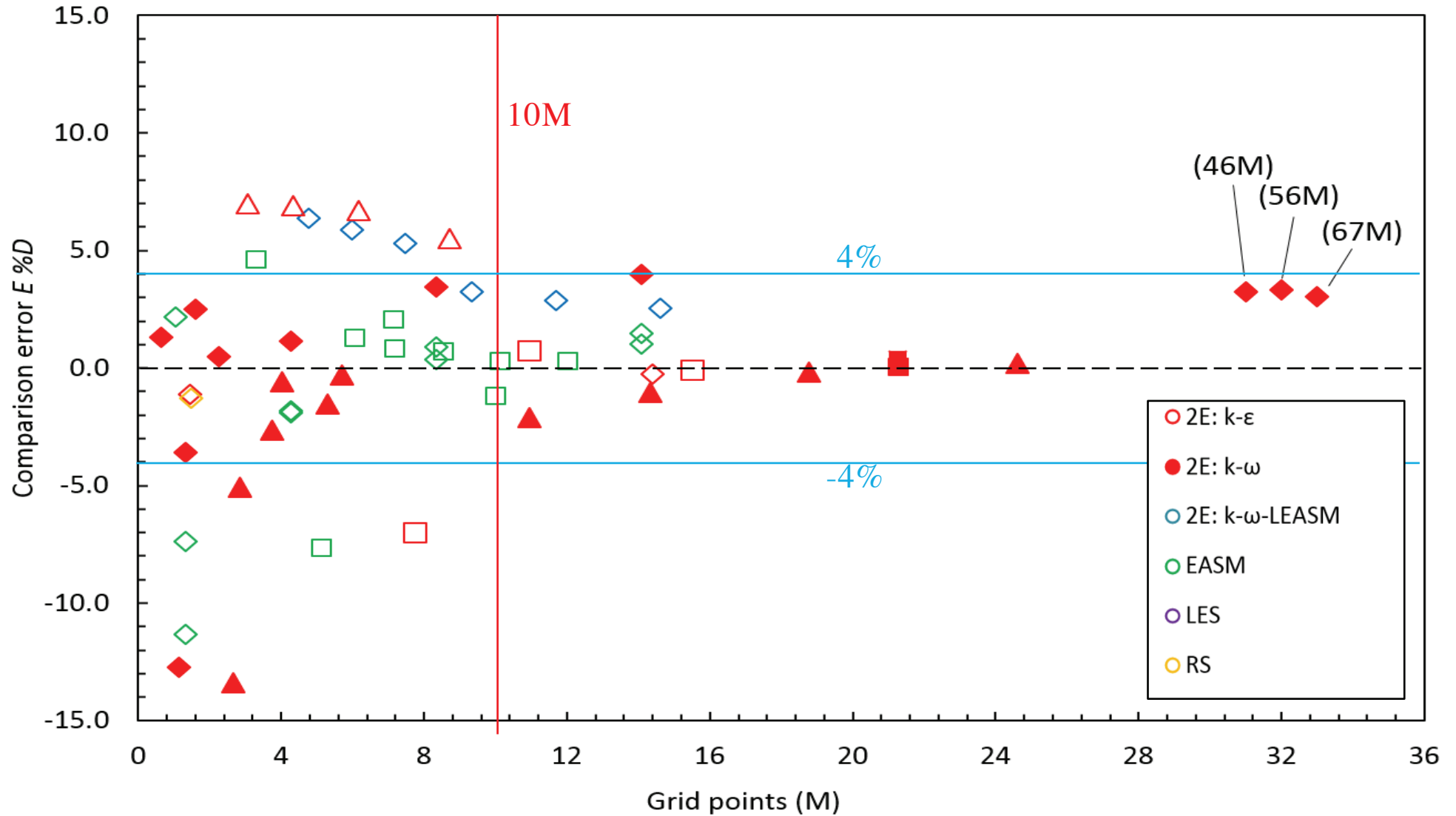
Turbulence model

Bare hull, Case 1.1



Turbulence model

Hull with ESD, Case 1.2



Mean comparison error for turbulence models

Turbulence model	$E_{mean}\%D$		$ E _{mean}\%D$		No. of entries	
	2015 1.1,1.2	2010 All	2015 1.1,1.2	2010 All	2015 1.1,1.2	2010 All
1-E Spalart Allmaras	-	3.6		3.6	-	1
1-E Menter	-	0.1		0.1	-	3
2-E k- ϵ	0.8	0.3	1.8	2.1	8	37
2-E k- ω	0.7	-0.5	1.6	1.8	19	37
EASM	1.6	1.8	2.0	5.9	12	3
RS, ARS	-1.3	-8.0	1.3	-8.0	2	2
DES	4.4	0.6	4.4	3.1	1	6

Conclusion, turbulence model

- Conclusion from 2010 :

”The present material does not indicate any advantage of turbulence models more complex than two-equation models. The statistical basis for the more advanced models is small, however.”

- The same conclusion still holds!

- Note that this is for Resistance; Local flow is a completely different matter!

Are wall-functions as accurate as wall-resolved?

- Check statistics!

Comparison wall functions (WF)/wall resolved (LRN)

Cases 1.1a and 1.2a

Comparison error $C_T \%D$

	E _{mean}	/E/mean	Std	# Entries
1.1a, WF	0.3	1.2	1.4	8
1.1a, LRN	1.4	2.6	2.7	14
1.2a, WF	0.3	1.1	1.3	8
1.2a, LRN	1.4	1.8	2.2	12

Conclusion, wall functions

- There is no indication in the results of 1.1a and 1.2a that wall functions give less accurate resistance predictions than wall resolved, rather the opposite!

Verification and Validation (V&V)

- Validation uncertainty $U_V^2 = U_{SN}^2 + U_D^2$
 - U_{SN} : Simulation uncertainty. $U_{SN}^2 = U_G^2 + U_I^2$
 - U_G : Grid uncertainty
 - U_I : Iterative uncertainty
 - U_D : Data uncertainty
- Validation achieved at U_V level for $|E| \leq U_V$ (error within “noise” level)

Iterative uncertainty, U_I

- Requested from participants.
- Normally estimated from amplitude of fluctuations in quantity of interest (resistance) towards the end of the iterations
- Assumption: U_I negligible for $|U_I/\varepsilon_{12}| \ll 1$.
 - ε_{12} : difference in solution between the two finest grids
- Adopted criterion: $U_I < 10\% |\varepsilon_{12}|$.
- Criterion not satisfied by 25% of V&V estimates

Grid uncertainty, U_G

- Obtained through grid sequencing (systematically refined grids)
- Assumption: $\phi_0 = \phi_1 - \alpha h^p$
 - h : step size (known)
 - p : *achieved order of accuracy*
 - α : *constant*
 - ϕ_0 : *solution extrapolated to zero step size*
 - ϕ_1 : *known solution*
- Three unknowns: p , α , ϕ_0 . Can be determined from three solutions ϕ_1 , ϕ_2 , ϕ_3
- Alternatively from more than 3 solutions + least squares fit
- Basic theory: For h in “**asymptotic range**” $p = p_{th}$
 - p_{th} : *theoretical order of accuracy (No effect of higher order error terms)*

Grid uncertainty (cont.)

- For h in the asymptotic range $\delta_{RE} = \phi_1 - \phi_0$ is the true error
 - For h outside the asymptotic range δ_{RE} is not the true error, but it can be used as a measure of uncertainty
 - Basic approach by **Roache**: $U_G = FS |\delta_{RE}|$
 - FS : Factor of safety: 1.25 or 3.0
 - Approach by **Stern et al** (ITTC similar): compute FS based on p/p_{th} . Different formulas above and below 1.
 - Approach by **Eca & Hoekstra**: U_G determined mainly from δ_{RE} based on p/p_{th}
- => p/p_{th} used as a measure of the “distance” to the asymptotic range; the larger the distance the larger the uncertainty.*
- Empirical relations used to related U_G to δ_{RE}*

Number of grids

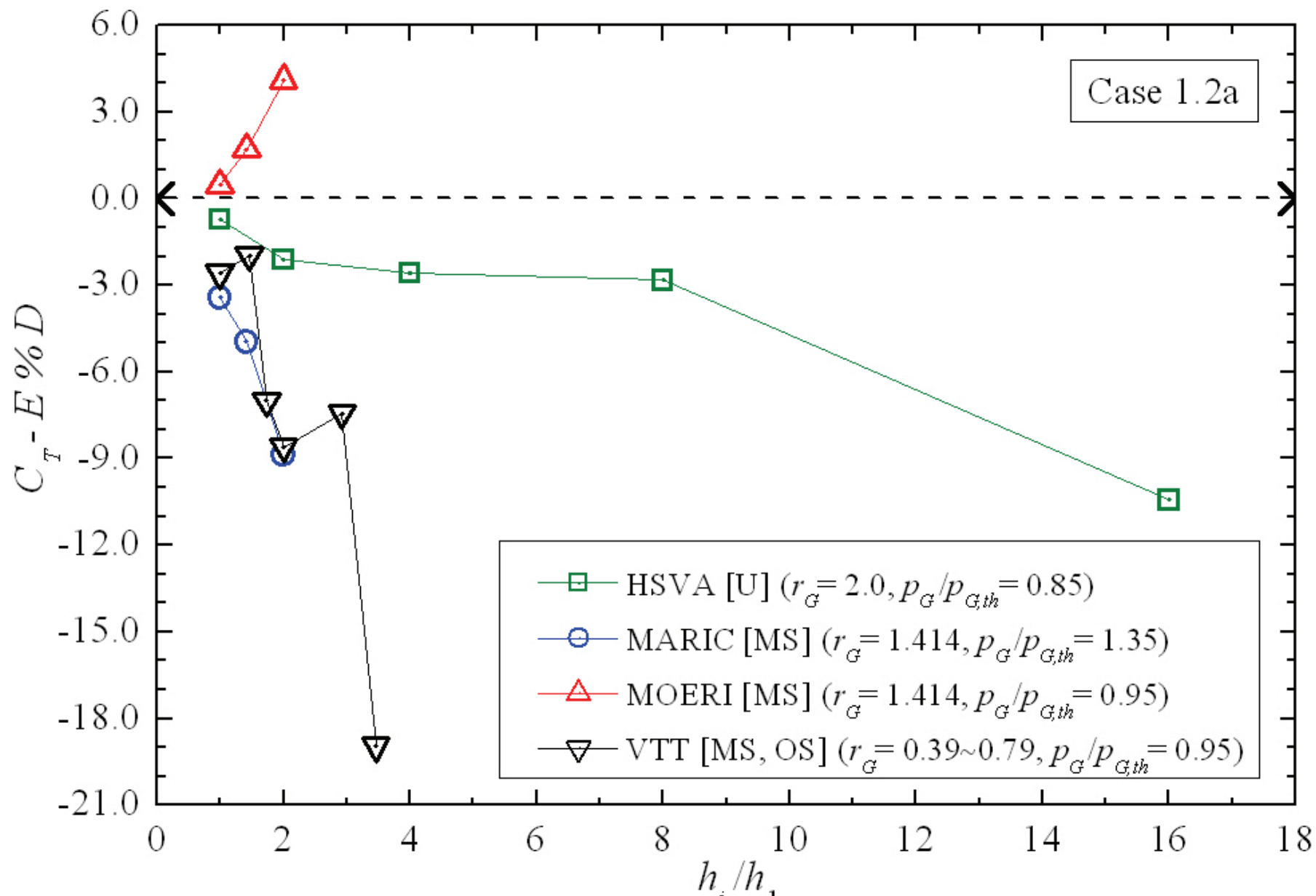
# grids	1.1a	1.2a	1.5a	1.6a	Sum
6	1	1	0	0	2
5	2	2	1	1	6
4	4	4	4	4	16
3	8	6	11	11	36
2	2	0	0	0	2
1	5	7	7	7	26
Sum	22	20	23	23	88
Sum >2	15	13	16	16	

60 out of 88 (68%) provided at least 3 grids!

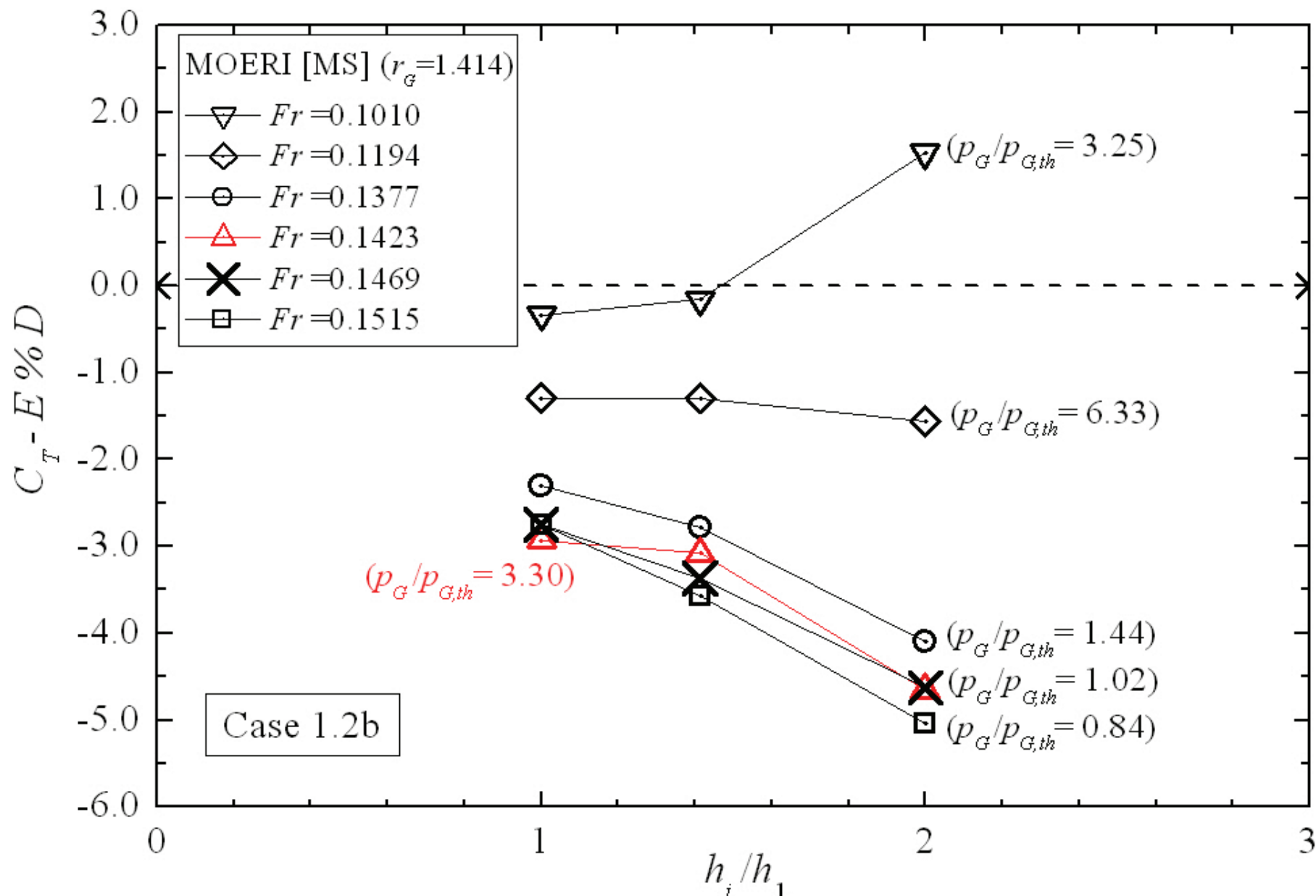
How well does grid sequencing work for industrial applications?

- We have 60 triplets with three or more grids. Best material ever?
- Are the solutions convergent? ($|R| = |\phi_2 - \phi_1| / |\phi_3 - \phi_2| < 1$)
- How large is the scatter (due to non-systematic grids, limiters...)
- Empirical relations based on simple test cases. Do they work here?
- p/p_{th} relatively close to 1? (< 2 for Stern et al)

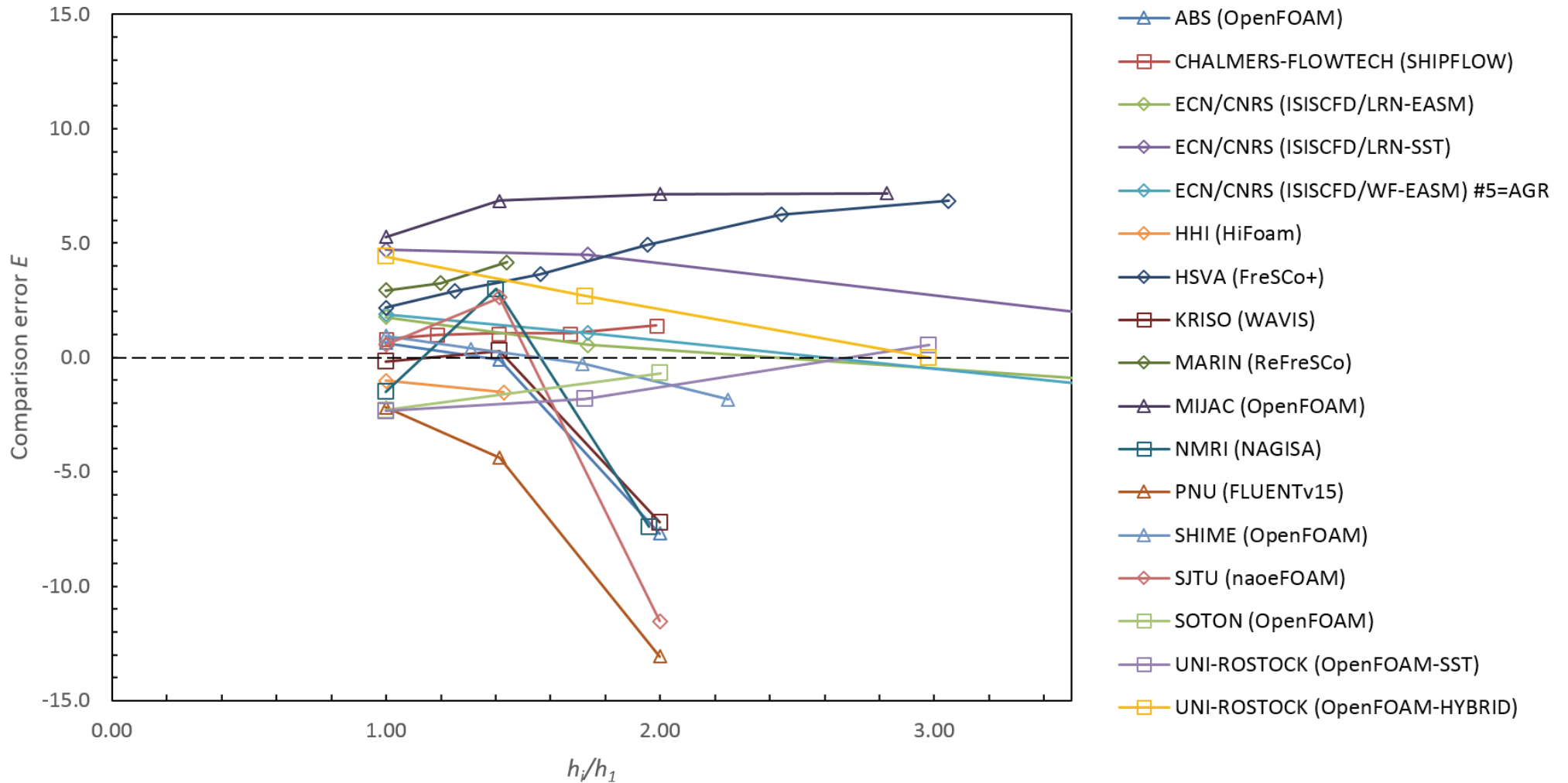
Grid refinement, KVLCC2, Case1.2a



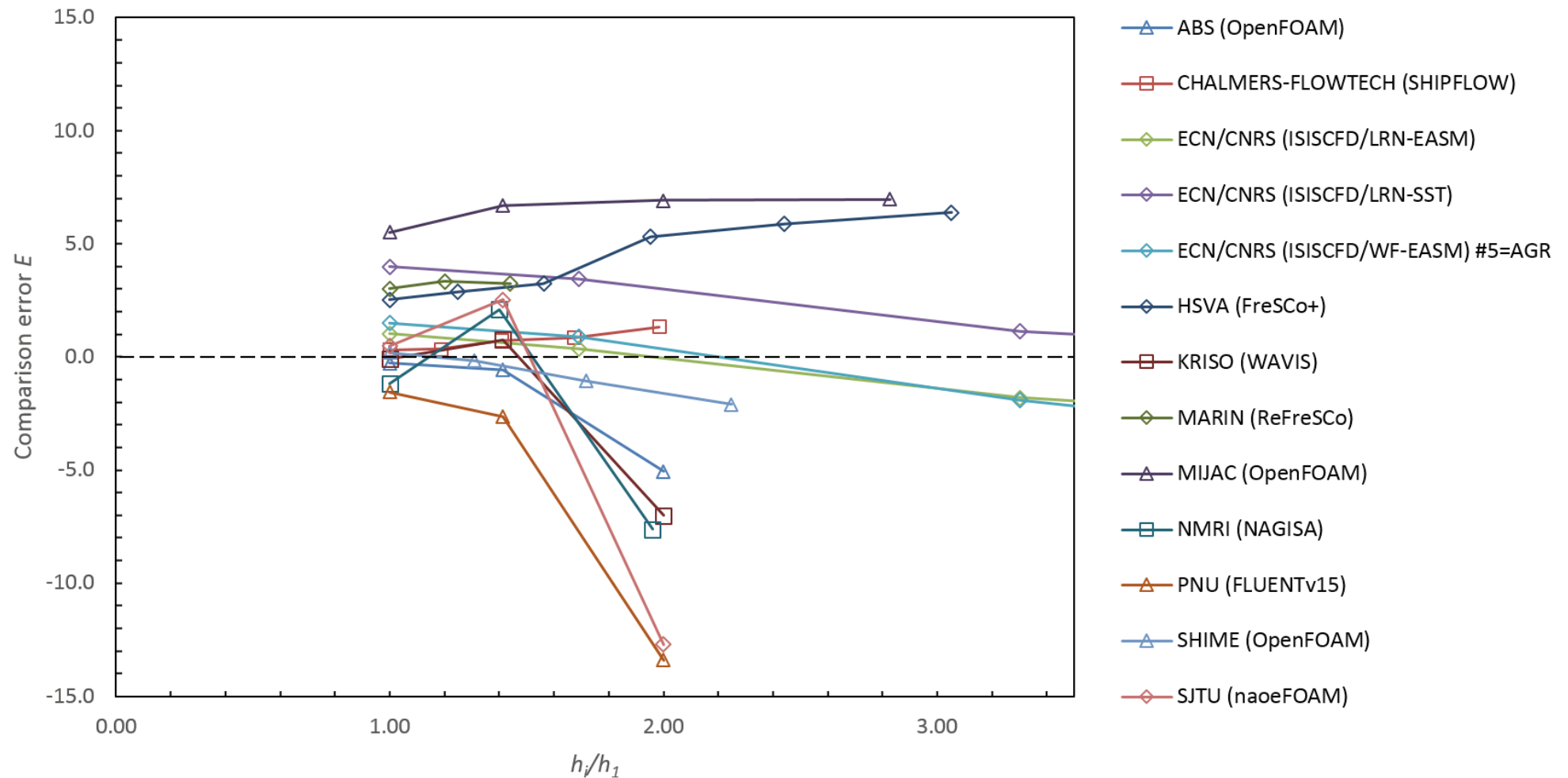
Grid refinement, KVLCC2, Case 1.2b



Grid refinement, JBC, Bare hull (1.1a)



Grid refinement, JBC, with ESD(1.2a)



Conclusions grid refinement

	G2010 All	T2015 1.1,1.2
Submissions > 2 grids	42	28
Total # triplets	?	38
Structured grids	33	13
-convergent	32	10
-divergent	1	3
Unstructured grids	7	25
-convergent	5	16
-divergent	2	9

- Tendency towards unstructured grids
- Difference in convergence struct/unstruct smaller now

Conclusions grid refinement (cont.)

	G2010 All	T2015 1.1,1.2
# submissions with p/p_{th}	29	27
# $p/p_{th} > 1$	18	21
- mean value	2.7	2.3
# $p/p_{th} < 1$	11	6
- mean value	0.7	0.5

- Most p larger than p_{th}
- Very large value of p for these. Uncertainty assessment questionable. Empirical data base too small!
- Mean value of smaller p reduced
- Values of p smaller than p_{th} can be explained

Conclusions validation (1.1a, 1.2a)

- 28 validations made
 - 23 cases with $E < U_{val}$ (82%)
 - 5 cases with $E > U_{val}$
- G2010
 - FS method 60% $E < U_{val}$
 - LRS method 91% $E < U_{val}$
- Total validation:
 - $U_{valmean} = 6.5\%D$
 - $/E/mean = 2.0$ (for those where U_{val} was computed)
 - The codes validated in a mean sense!

Sinkage statistics

Hull	Case No.	E_{mean} %D	$E _{\text{mean}}$ %D	s%D	U_D %D	No. of Entries
All hulls	2010/1.2b, 2.2b, 2.3b 3.2	-21.0		11.2	5	51
KVLCC2 All Fr	2010/1.2b	-33.3	33.3	-	7	1
KVLCC2 Fr= 0.142	2010/1.2b	-18.2	18.2	-	6	1
JBC	2015/1.1a, 1.2a	-1.9	4.7	5.6	?	26

Sinkage, comments

- Only one submission for KVLCC2 at G2010, but comparing with this and the results for all hulls and Froude numbers there is a significant improvement at T2015!

Trim statistics

Hull	Case No.	E_{mean} %D	$ E _{\text{mean}}$ %D	s%D	U_D %D	No. of Entries
All hulls	2010/1.2b, 2.2b, 2.3b 3.2	8.9		36.9	6	51
KVLCC2 All Fr	2010/1.2b	7.4	7.4	-	7	1
KVLCC2 Fr= 0.142	2010/1.2b	3.2	3.2	-	7	1
JBC	2015/1.1a, 1.2a	0.6	3.1	3.5	?	26

Trim, comments

- Only one submission for KVLCC2 at G2010, but comparing with this and the results for all hulls and Froude numbers there is a significant improvement at T2015!

Wave pattern evaluation

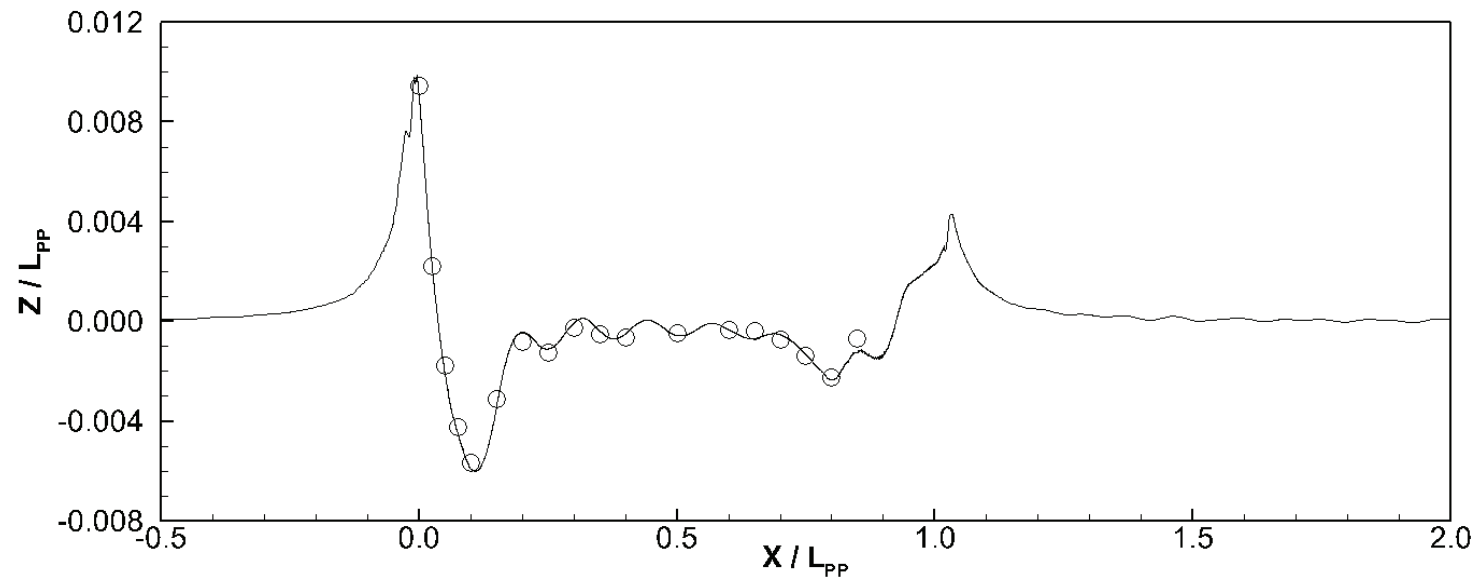
- Wave contours not shown since exp wave grid too coarse
- Wave profile along the hull
- Two wave cuts
- Grid density plots

Wave pattern submissions, 1.3a

Code identifier	Free surface method	Grid type	No. of grid points [M]
ECN CNRS-ISISCFD-LRN EASM	V	U,hex	9.2
ECN CNRS-ISISCFD-LRN SST	V	U,hex	5.5
ECN CNRS-ISISCFD-WF EASM	V	U,hex	2.2
HSVA-FreSCo+	V	U,hex	14.6?
KRISO-WAVIS	LS	S	15.5
MARIC-FINEMarine	V	U, hex	0.7
MARIN-ReFRESCO	V	U,hex	55
MHI-FLUENTv14	V	U,hex	13.9
NMRI-NAGISA	LS	S	7.8
PNU-FLUENTv15	V	U,hex	4.5
SJTU-naoeFOAM	V	U,hex	?

Wave profile along the hull

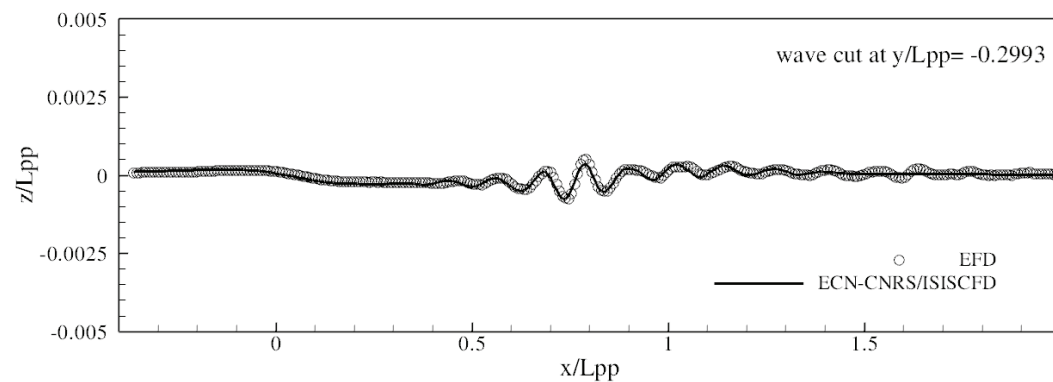
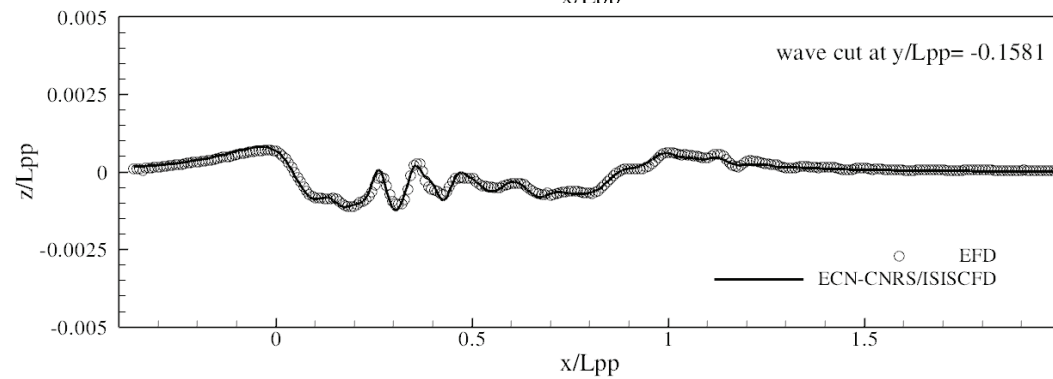
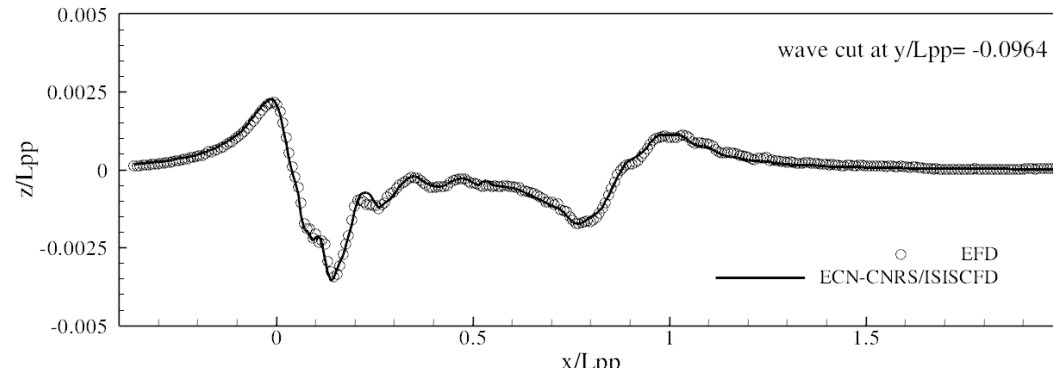
Typical example



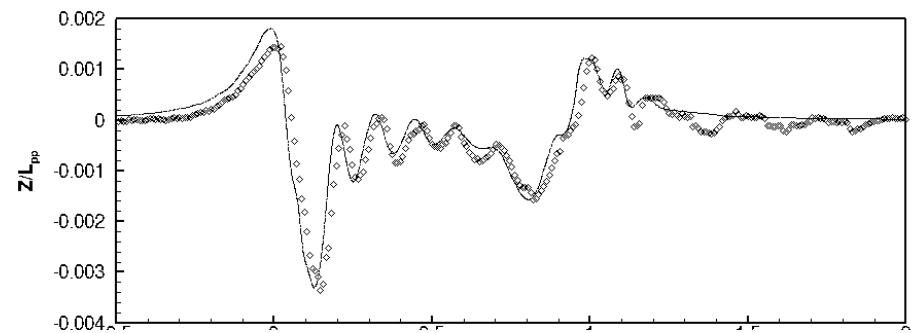
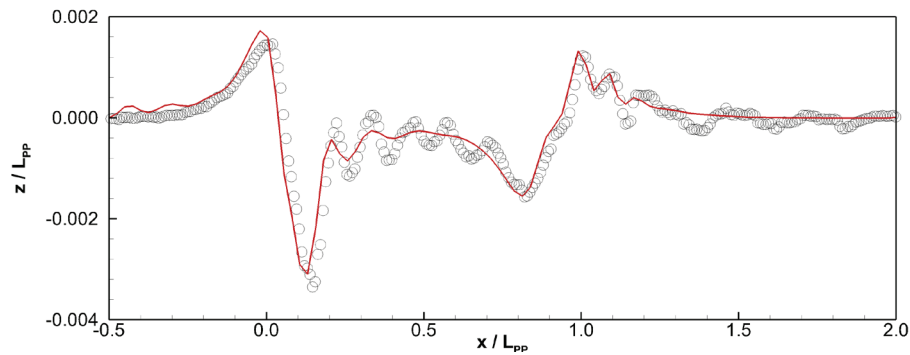
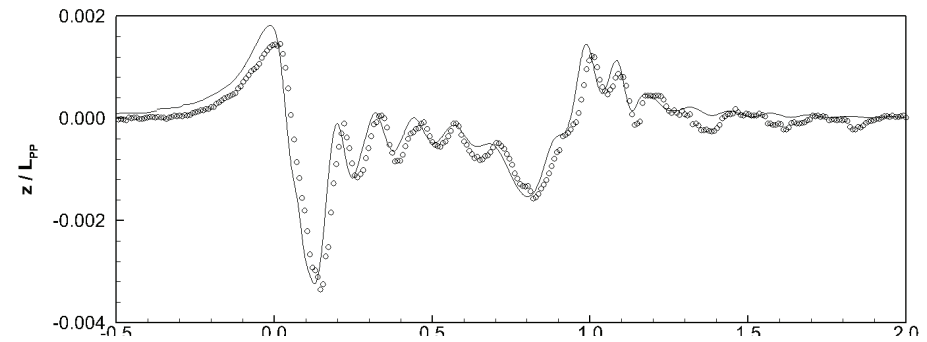
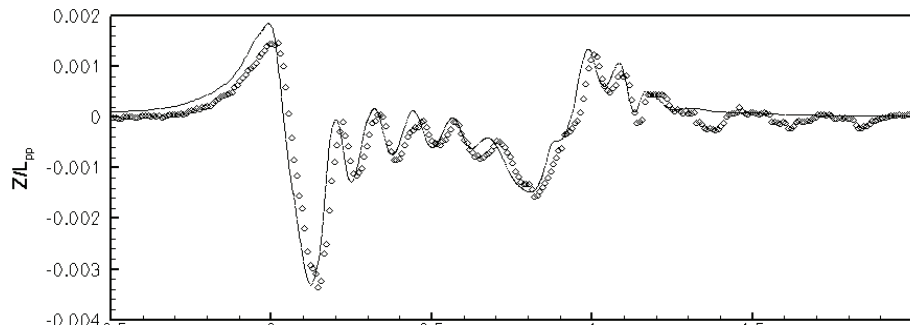
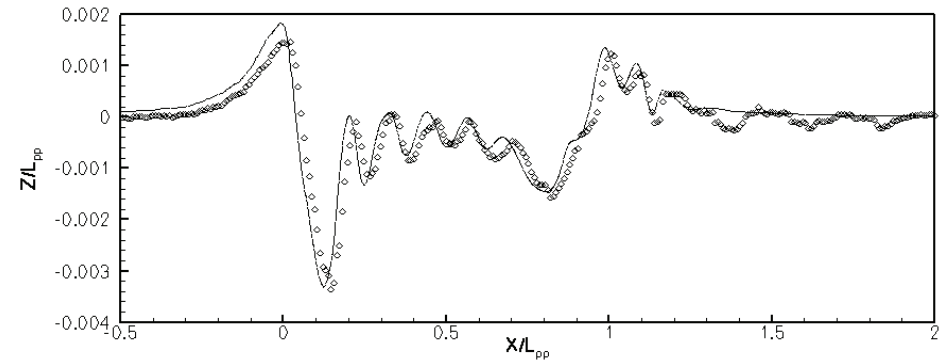
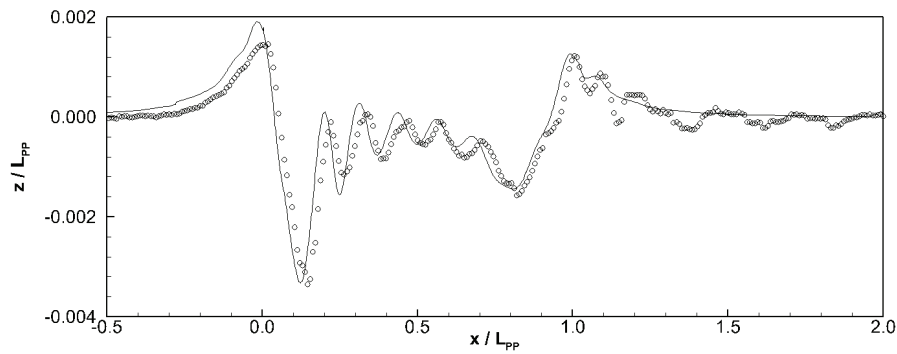
All methods predict the wave profile very well!

G 2010, KVLCC2

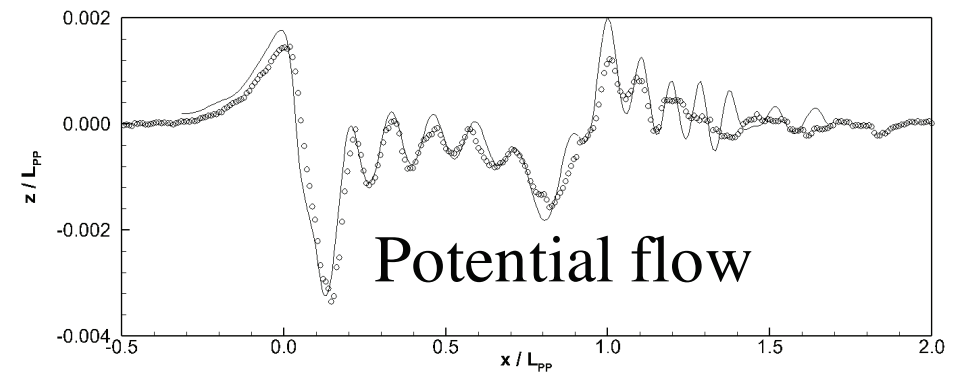
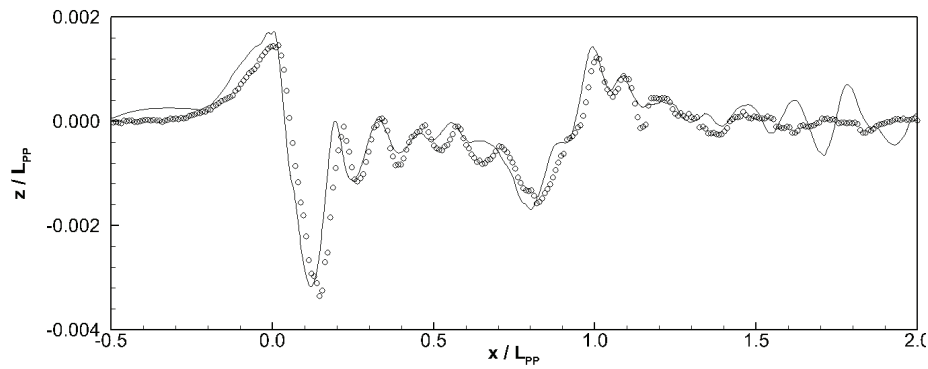
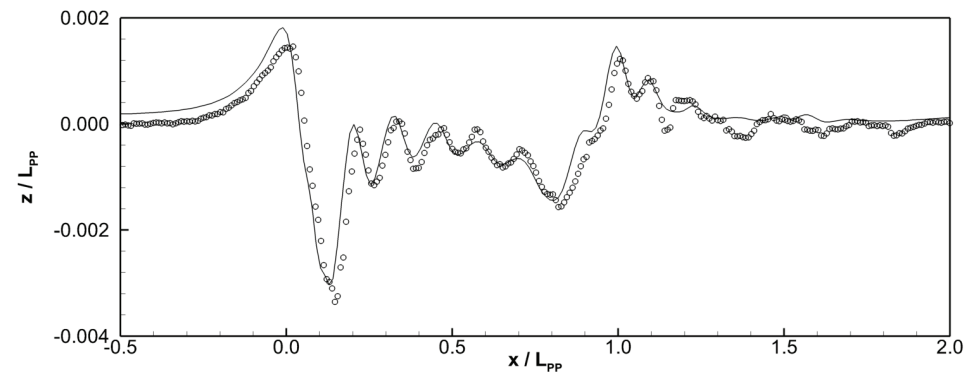
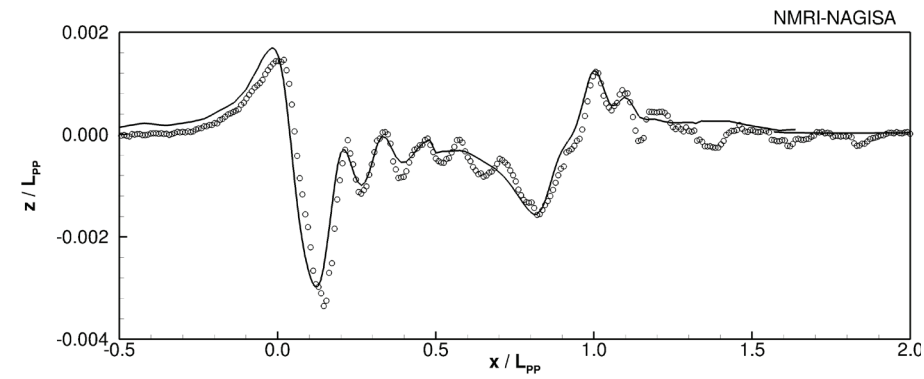
Best result



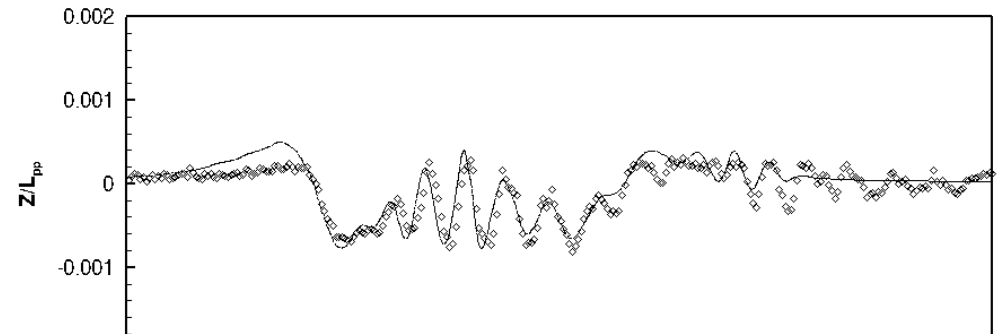
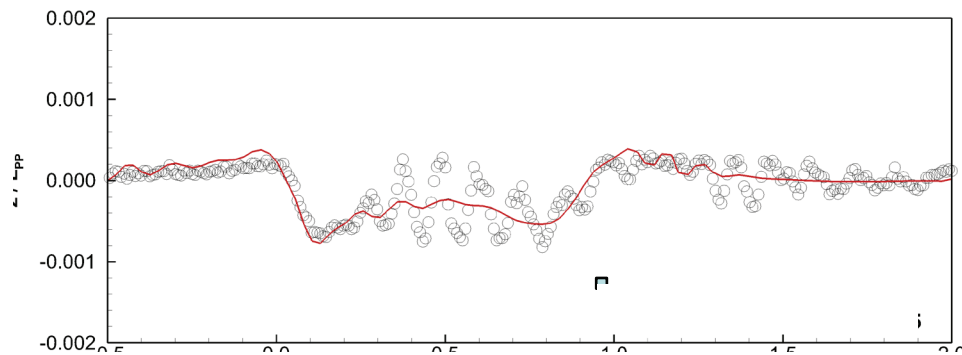
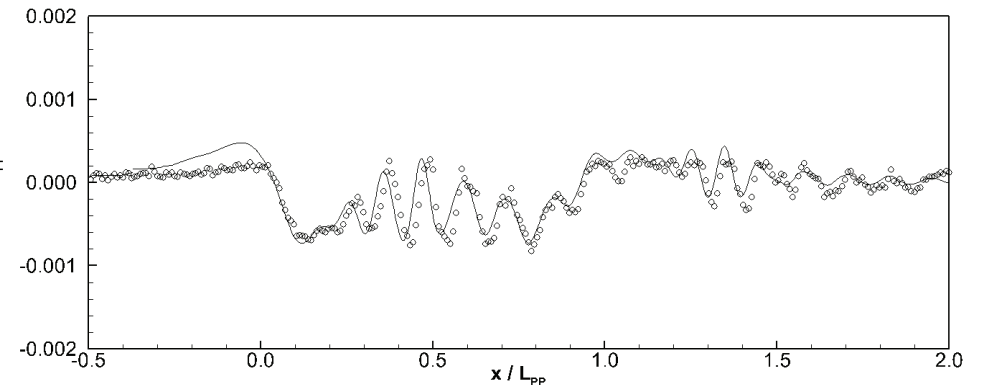
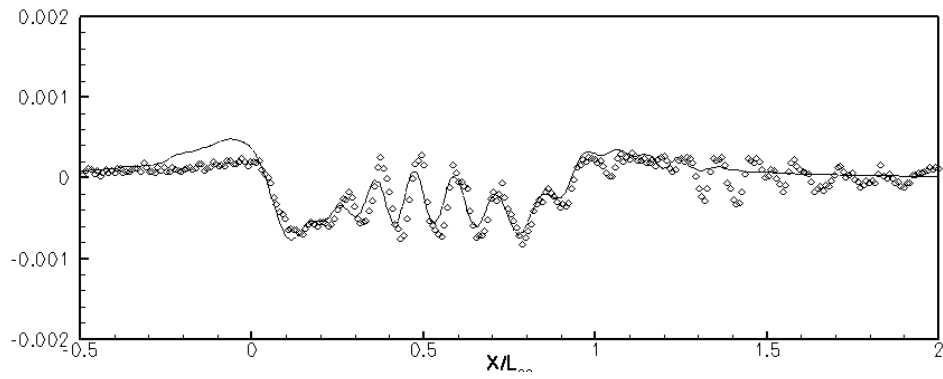
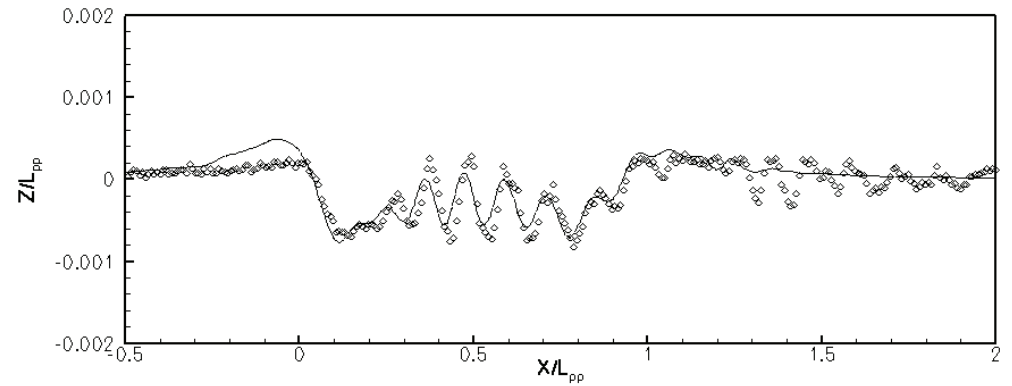
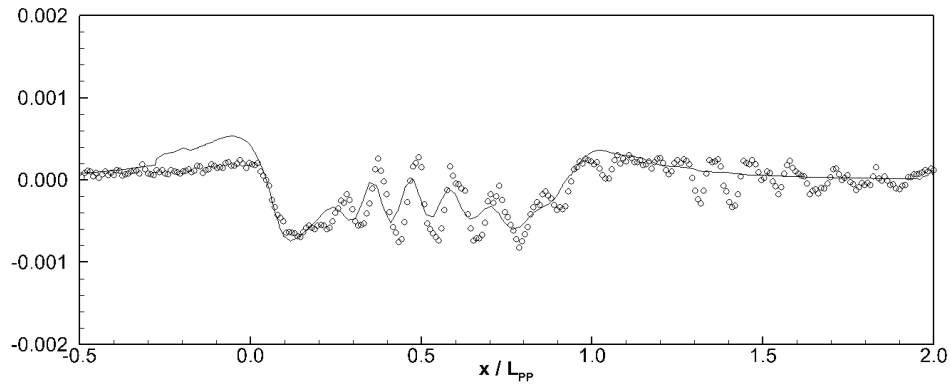
JBC, $Y=0.1043$



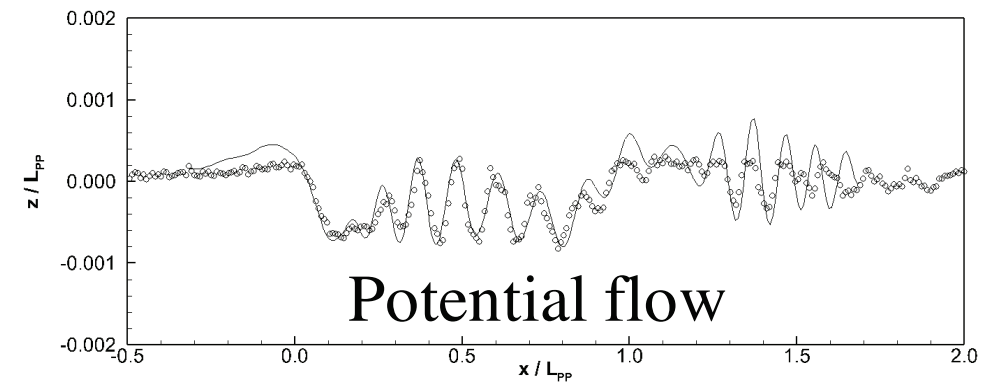
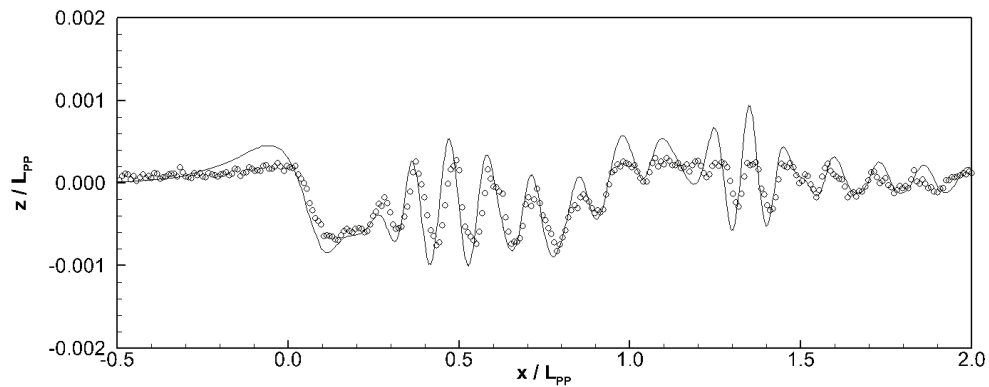
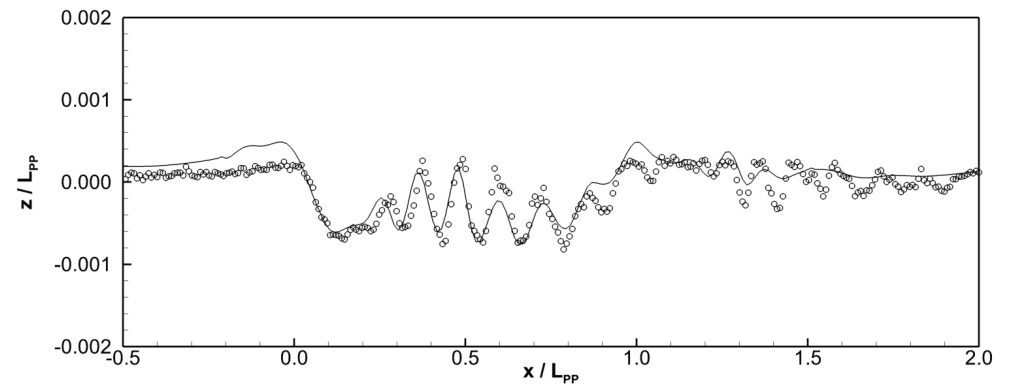
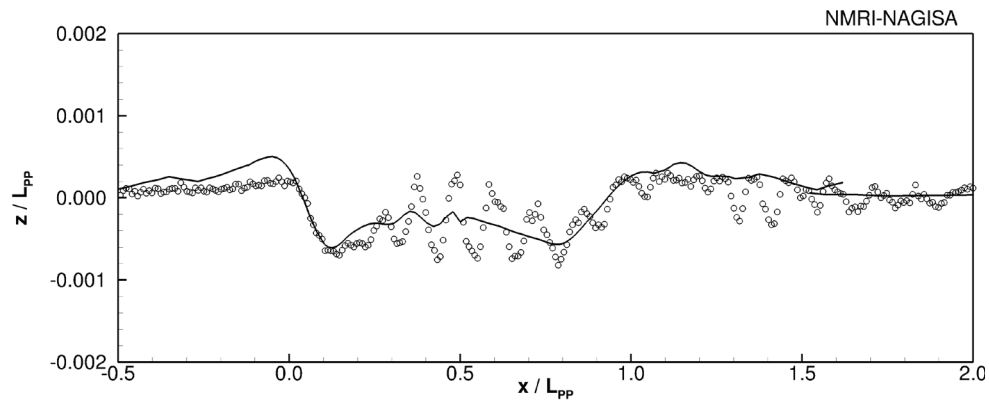
JBC, $Y=0.1043$



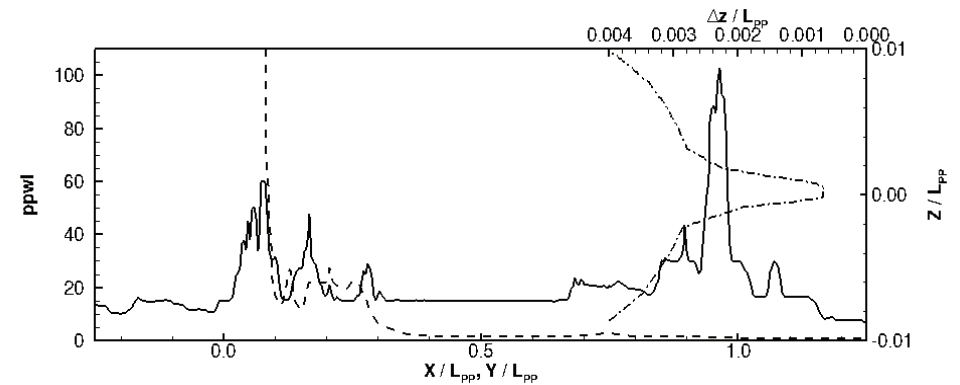
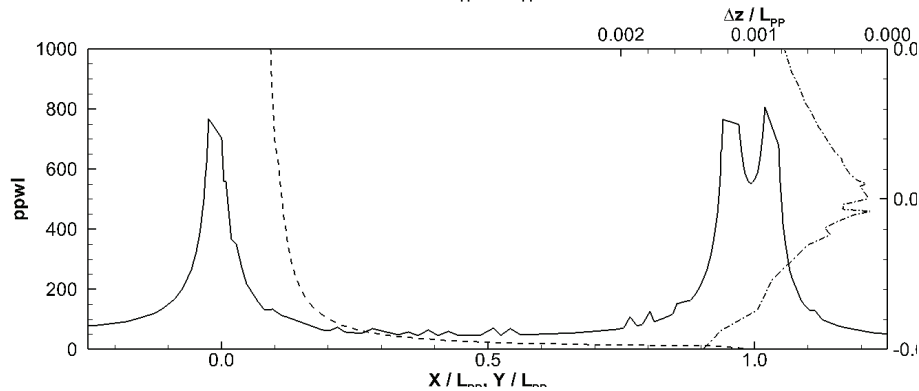
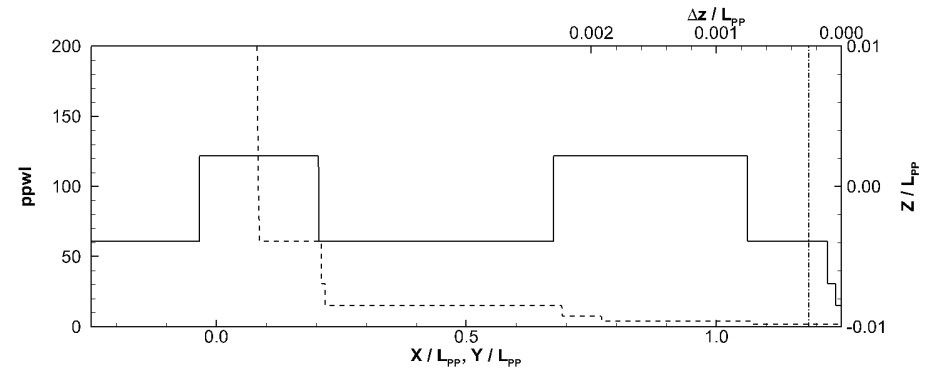
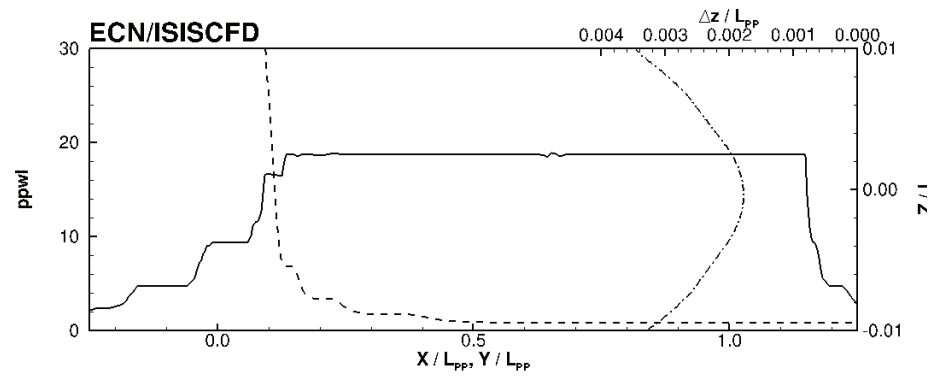
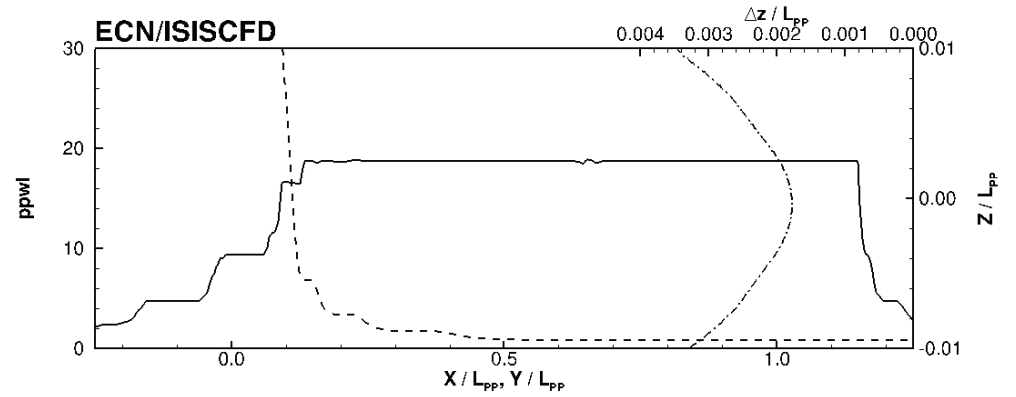
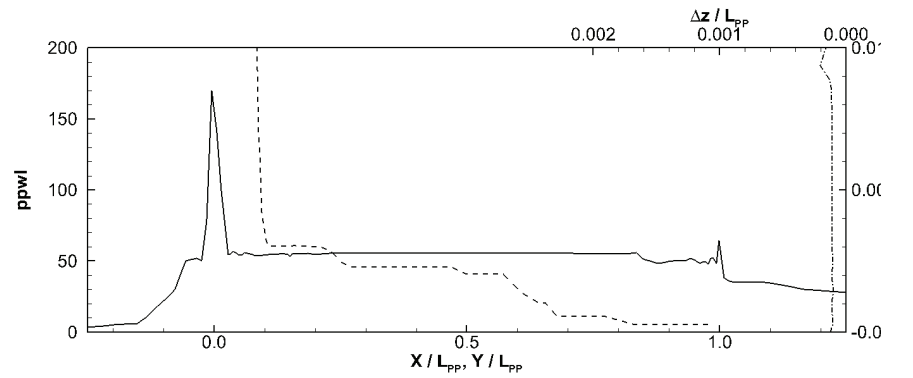
JBC, $Y=0.19$



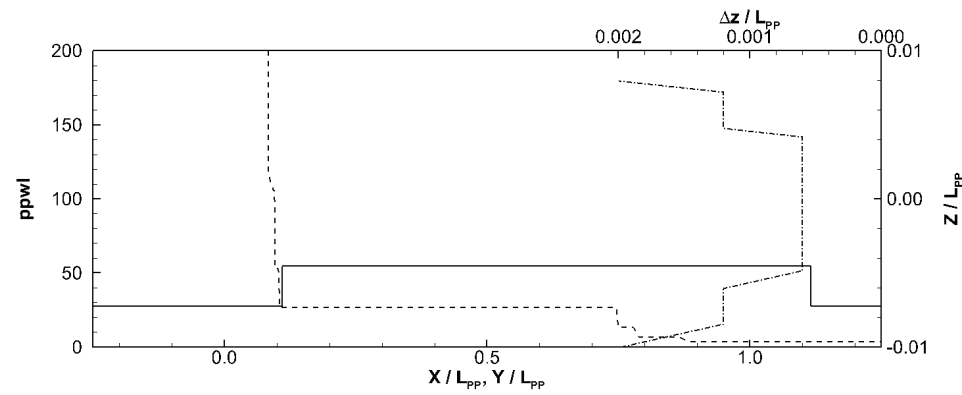
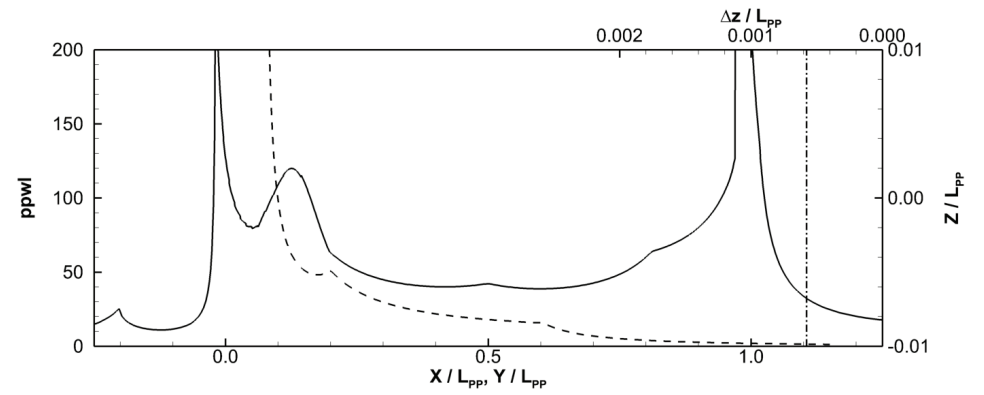
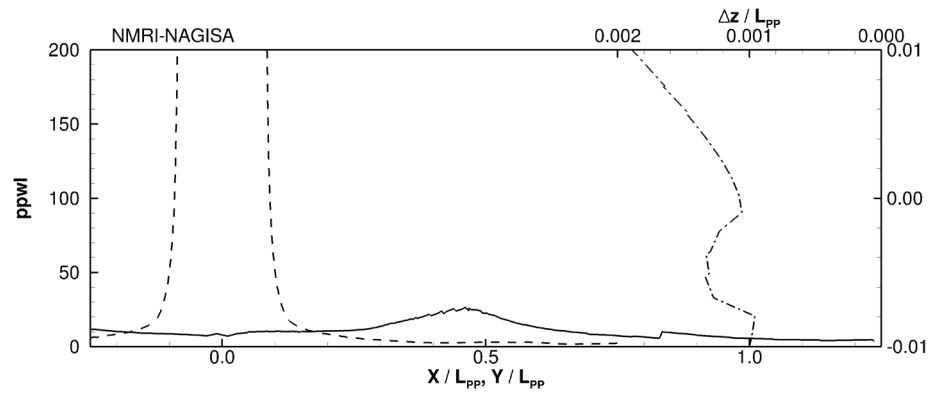
JBC, $Y=0.19$



JBC, Grid density



JBC, Grid density



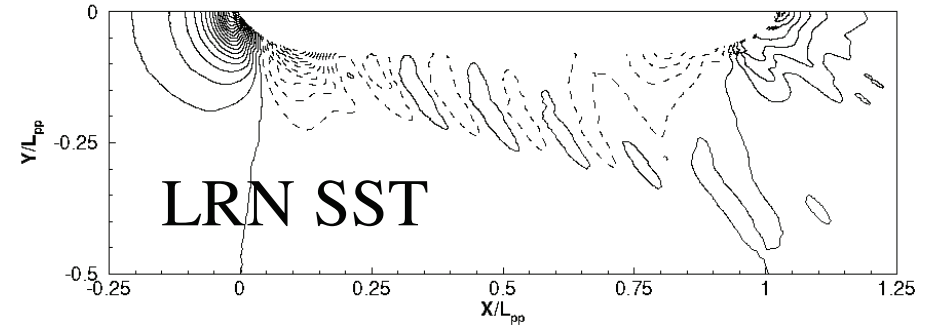
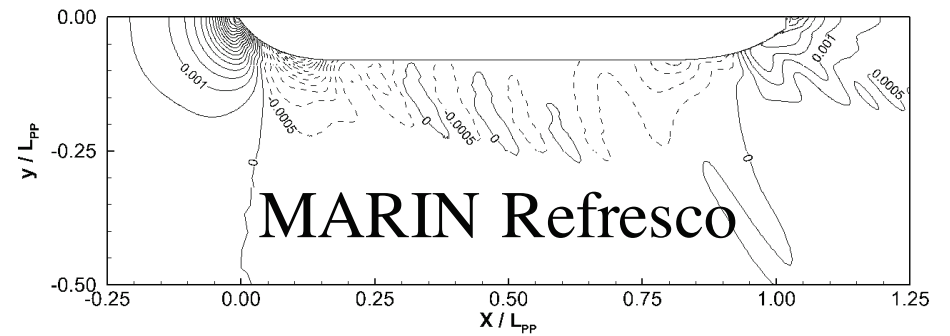
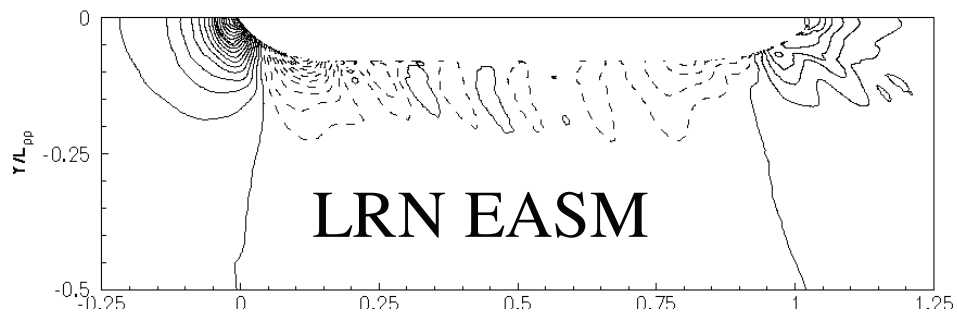
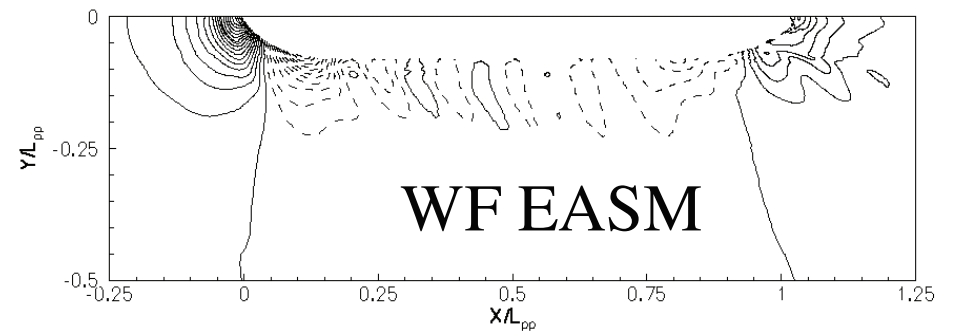
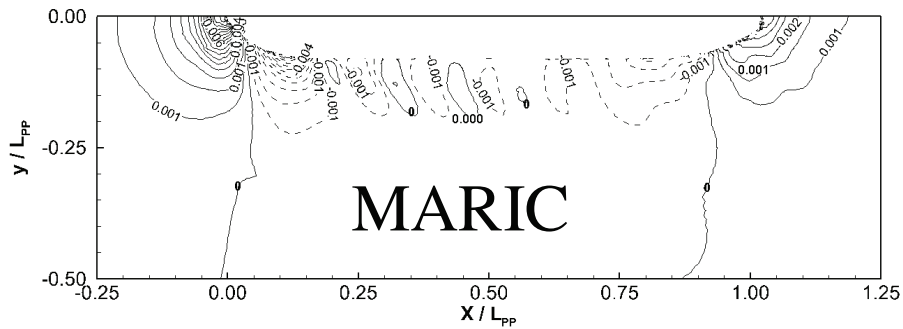
Conclusions, wave pattern

- Some systematic differences are noted in all results
- These differences were not noted in 2010
- Differences between methods smaller than in 2010
- Most methods predict waves well
- Large differences in grid density

That's All!

Look forward to an interesting discussion!

Wave pattern



Wave pattern

